	Utech
Name:	A
Roll No.:	In Annual Witnessings and Explored
Invigilator's Signature :	

CS/M.TECH(CHE)/SEM-1/CHE-02/2011-12

2011

ADVANCED PROCESS CONTROL

Time Allotted: 3 Hours Full Marks: 70

The figures in the margin indicate full marks.

Candidates are required to give their answers in their own words as far as practicable.

Semi-log graph sheet(s) will be supplied by the Institution.

Answer any five questions taking at least one from each Group.

GROUP - A

- 1. a) What do you mean by state space variables?
 - b) What is transfer function? Discuss the properties of transfer function.
 - c) With the help of an example draw a comparison between state space representation and transfer function representation of a physical system. 3 + 4 + 7
- 2. a) What do you mean by aliasing in case of digital control?
 - b) State the difference between analog and digital filters.
 - c) Define Z-transform. Derive the expression for Z-transform of e^{-at} .
 - d) Calculate the response of a 1st order difference equation $y(k) + a_1 y(k-1) = b_1 u(k-1)$ for $a_1 = -0.368$, $b_1 = 1.264$ and y(0) = 0 using Z-transformation and long division for k = 0, 1, ..., 5.

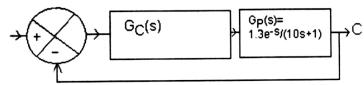
2 + 3 + 4 + 5

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GROUP - B

- 3. a) What do you mean by frequency response analysis?
 - b) What is process reaction curve? Discuss the philosophy of the methodology that leads to Cohen-Coon setting for feedback controllers.
 - c) A closed loop process has been shown in the following figure in block diagram form. Time constants and dead time values are in minutes. At the frequencies $\omega = 1.6$ and 1.7 rads/min, the values of phase difference are $\phi = -178.1^{\circ}$; -184° respectively. Assuming that ω versus ϕ has a linear relation in the above range of frequencies, find ku, Pu, Gain Margin, Phase Margin.



3 + 6 + 5

4. a) The overall transfer function of a control loop is

$$G_{FP}(s) = G_C(s)G_V(s)G_P(s) = \frac{k_C k_P(\tau_Z s + 1)e^{-\tau_D s}}{(\tau_{P1} s + 1)(\tau_{P2} s + 1)(\tau_{P3} + 1)}.$$

The transfer function (TF) parameters have the following numerical values:

$$\begin{aligned} k_C^{}k_P^{} &= 2\cdot 5\,, \quad \tau_Z^{} &= 2\cdot 0\,, \quad \tau_D^{} &= 0\cdot 2\,, \quad \tau_{P1}^{} &= 1\cdot 0\,, \quad \tau_{P2}^{} &= 5\,, \\ \tau_{P3}^{} &= 10\,, \end{aligned}$$

[
$$w = 0.01$$
; 0.025; 0.06; 0.08; 0.1; 0.2; 0.3; 0.4; 0.6; 0.8; 1.0; 2.0; 3.5; 7.0; 10.0]

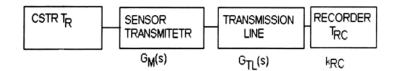
All time constants are in mins. Draw a Bode plot for the above TF using following frequency values in rads/min on a suitably marked semi-log graph.

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b) The temperature T_R of a CSTR is measured with a pressure bulb sensor ($\tau_M = 3s$) and a pneumatic transmission of the output signal (3-15 psig) over a long distance to a recorder. Sensor transmitter has a 1st order dynamics ($\tau_{TL} = 10s$). The recorder is calibrated in temperature units in °C, and it has no dynamic lag, so may be treated as a pure gain element. The recorder output is observed to oscillate sinusoidal between 180°C and 184°C with a time period of 31·4s. Find T_R (t).



8 + 6

GROUP - C

- 5. a) Explain the terms "Programmed adoptive control" and "Self adoptive control". Cite example in each case.
 - b) Discuss the logic of an inferential control scheme. Why is this control scheme needed?
 - c) Explain "Split range control".

5 + 5 + 4

- 6. a) Discuss the strategies for reducing control loop interactions.
 - b) Define two open loop gains used in the definition of relating gain λ_{12} . Discuss any one way of computing λ_{12} .

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c) What is meant by decoupling of two control loops?

What is one way decoupling of two control loops?

4 + 5 + 5

GROUP - D

- 7. a) Discuss the procedure for the design of plant wide control system.
 - b) Discuss how poor process designs lead to control problems in case of a reboiler.
 - c) What do you mean by safe operating of a plant?

5 + 5 + 4

- 8. a) Discuss the components of a DDC loop.
 - b) What do you mean by the response of discrete dynamic systems?
 - c) Derive the discrete transfer function for the parallel form of PID controller

$$G_C(s) = k_c \left(1 + \frac{1}{\tau_1 s} + \tau_D s\right)$$

using backward difference substitution of s. 4 + 3 + 7

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